

ECE 3120

Computer Systems Arithmetic Programming

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□ Today:

- Algorithms & Flowchart examples
- Write programs to do arithmetic
 - Multiprecision Addition
 - Multiprecision Subtraction

Software Development Process

- **Problem definition:** Identify what should be done.
- **Develop the algorithm.** Algorithm is the overall plan for solving the problem at hand.
- An algorithm is often expressed in the following format:

Step 1

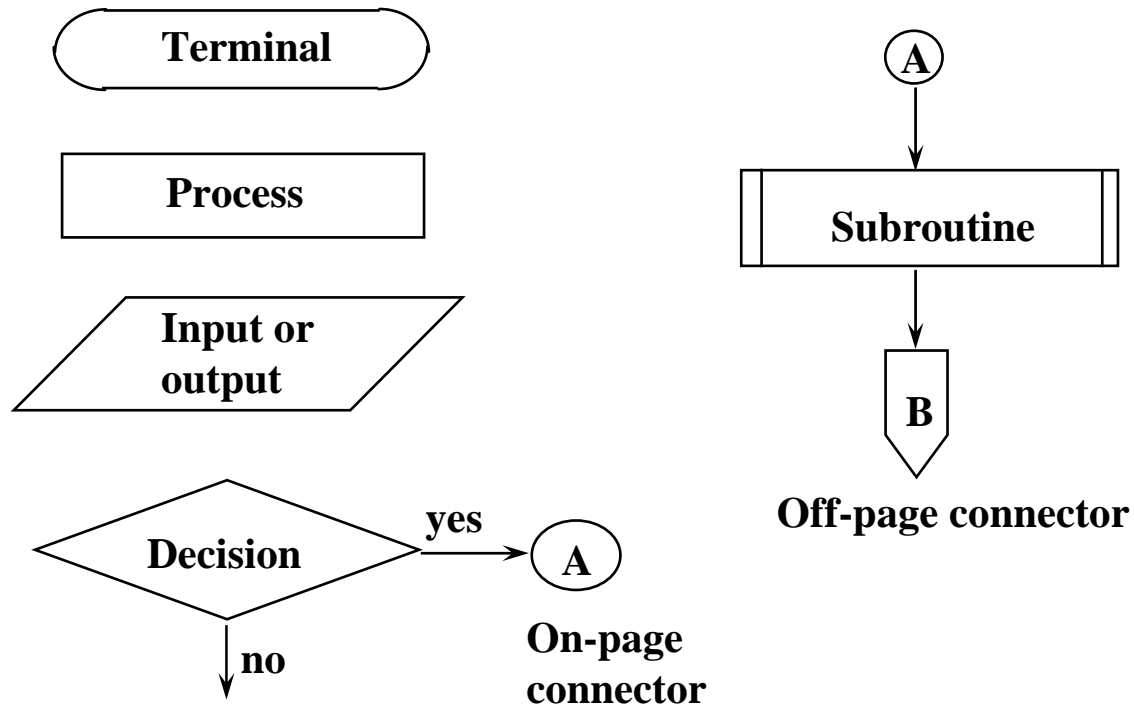
...

Step 2

...

- Another way to express overall plan is to use **flowchart**.
- **Programming.** Convert the algorithm or flowchart into **programs**.
- **Program Testing**
- **Program maintenance**

Symbols of Flowchart



Programs to do simple arithmetic

Example 2.3' Write a program to add the values of memory locations at \$2000, \$2001, and \$2002, and save the result at \$2100.

Solution:

Step 1

$A \leftarrow m[\$2000]$

Step 2

$A \leftarrow A + m[\$2001]$

Step 3

$A \leftarrow A + m[\$2002]$

Step 4

$\$2100 \leftarrow A$

Example 2.4'

Write a program to subtract the contents of the memory location at \$2000 from the sum of the memory locations at \$2001 and \$2002, and store the difference at \$2005.

Solution:

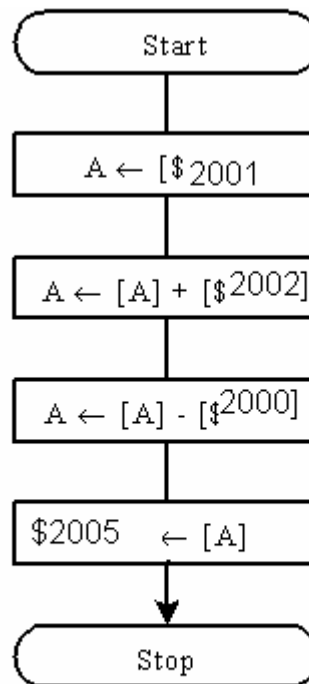


Figure 2.2 Logic flow of program 2.4

Example 2.6 Write a program to add two 16-bit numbers that are stored at \$2000-\$2001 and \$2002-\$2003 and store the sum at \$2010-\$2011.

Solution:

Step 1

$D \leftarrow m[\$2000]:m[\$2001]$

Step 2

$D \leftarrow D + m[\$2002]:m[\$2003]$

Step 3

$m[\$2010]:m[\$2011] \leftarrow D$

Multiprecision arithmetic

- Arithmetic performed in a 16-bit microprocessor on numbers larger than 16 bits.
- Makes use of the carry flag (C flag) of the condition code register (CCR).

The Carry/borrow Flag

- Bit 0 of the CCR register
- Set to 1 when the addition operation produces a carry 1
- Set to 1 when the subtraction operation produces a borrow 1
- Enables the user to implement multi-precision arithmetic

Example : To add \$8675 & \$ 9978

Instructions:-

Ldd #\$8645

Add #\$9978

HCS12 execution of these instructions

$$\begin{array}{r} \$ 8 6 4 5 \\ + \$ 9 9 7 8 \\ \hline \$ 1 \boxed{1 F B D} \end{array} \begin{array}{l} \longrightarrow \text{Sum} \\ \downarrow \\ \text{Carry} \end{array}$$

Example Write down the sequence to add two 4-byte numbers \$1A598183 and \$76548290 and store the result in \$1000~\$1003.

- Multiprecision addition is performed one byte at a time

```
      1    1    1
    $ 1 A 5 9 8 1 8 3
+   $ 7 6 5 4 8 2 9 0
-----
    $ 9 0 A E 0 4 1 3
```

Step 1: Add the least significant 16 bits

```
ldd    # $8183
```

```
addd   # $8290
```

Result generates a carry and therefore sets the carry flag to 1

Store contents of D in \$1002~\$1003

Step 2: The carry from the lower bytes must be added to the second MSB

```
ldda   # $59
```

```
adca   # $54    → $59+$54+carry → result in A
```

Store contents of A in \$1001

Step 3: Add the MSBs by using the add with carry

```
ldda   # $1A
```

```
adca   # $76    → $1A+$76+carry → result in A
```

Store contents of A in \$1000

Next...

- Multiprecision Subtraction Example
- BCD Addition