

ECE3120: Computer Systems

Chapter 4: Subroutines

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Issues in Subroutine Calls

1. *Parameter passing*

- Use registers
- Use the stack
- Use global memory

2. *Returning results*

- Use registers
- Use the stack
- Use global memory

3. *Local variable allocation*

- Allocated by the callee
- The following instruction is the most efficient method of local variable allocation.

`leas -n,sp` ; allocate n bytes in the stack for local variables

4. *Local variable deallocation*

- space allocated to local variables must be deallocated
- The following instruction is the most efficient method of local variable deallocation.

`leas n,sp` ; deallocate n bytes from the stack

Stack Frame

- The region in the stack that holds incoming parameters, the subroutine return address, local variables, and saved registers is referred to as stack frame.
- The stack frame is also called **activation record**.

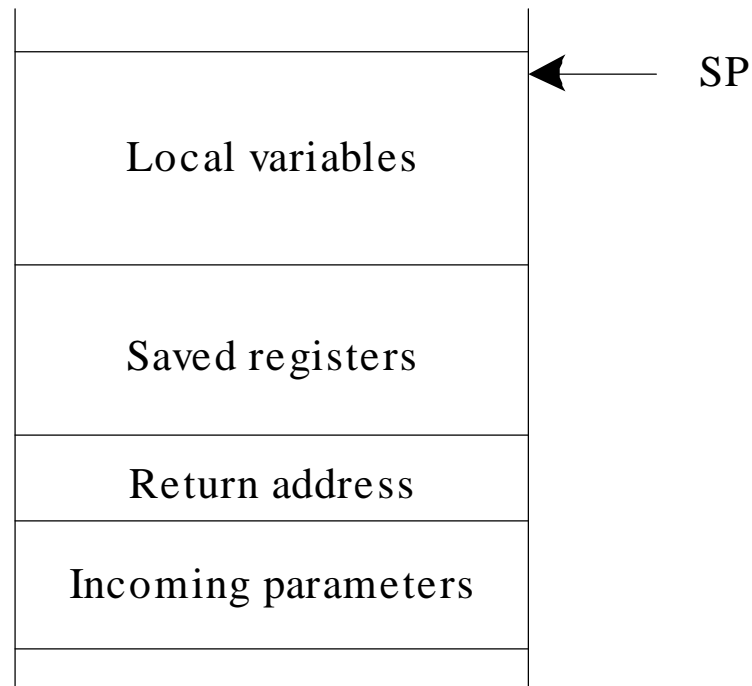


Figure 4.9 Structure of the 68HC12 stack frame

Binary Search ..Recap

Step 1

Initialize variables max and min to $n - 1$ and 0, respectively.

Step 2

If $\text{max} < \text{min}$, then stop. No element matches the key.

Step 3

Let $\text{mean} = (\text{max} + \text{min}) / 2$

Step 4

If $\text{key} = \text{arr}[\text{mean}]$, then key is found in the array, exit.

Step 5

If $\text{key} < \text{arr}[\text{mean}]$, then set max to $\text{mean} - 1$ and go to step 2.

Step 6

If $\text{key} > \text{arr}[\text{mean}]$, then set min to $\text{mean} + 1$ and go to step 2.

Example 4.3 Write a program to implement the binary search algorithm and also a sequence of instructions to test it.

Solution:

```
n      equ    30          ; array count
key     equ    69          ; key to be searched
arr     db     1,3,6,9,11,20,30,45,48,60
        db     61,63,64,65,67,69,72,74,76,79
        db     80,83,85,88,90,110,113,114,120,123
        org    $1000
max     rmb    1          ; maximum index value for
comparison
min     rmb    1          ; minimum index value for comparison
mean    rmb    1          ; the average of max and min
result  rmb    1          ; search result
        org    $1500
        clra
        staa   min        ; initialize min to 0
        staa   result      ; initialize result to 0
        ldaa   #n-1
        staa   max         ; initialize max to n-1
        ldx    #arr        ; use X as the pointer to the array
```

Step 1

Max=N-1;Min=0

Step 2

Max<Minà stop

Step 3

Mean=max+min/2

Step 4

Key=arr[mean]à found

Step 5

Key<arr[mean]

Max=mean-1;goto step2

Step 6

Key>arr[mean]

Min=mean+1;goto setp2

loop	ldab	min	
	cmpb	max	
	lbhi	notfound	
	addb	max	; compute mean
	lsrb		; “
	stab	mean	; save mean
	ldaa	b,x	; get a copy of the element ;arr[mean]
	cmpa	#key	
	beq	found	
	bhi	search_lo	;key<arr[mean]
	ldaa	mean	;key>arr[mean]
	inca		
	staa	min	; place mean+1 in min to continue
	bra	loop	
search_lo	ldaa	mean	
	deca		
	staa	max	
	bra	loop	
found	ldaa	#1	
	staa	result	
notfound	swi		
	end		

Step 1

Max=N-1;Min=0

Step 2

Max<Minà stop

Step 3

Mean=max+min/2

Step 4

Key=arr[mean]à found

Step 5

Key<arr[mean]

Max=mean-1;goto step2

Step 6

Key>arr[mean]

Min=mean+1;goto setp2

Example: Convert the binary search program into a subroutine so that it can be called by other program units. Let the starting address of the array, array count and the key to be matched be passed via the stack and the result to be returned in an accumulator D

The main program is as follows:

```
mean    equ 0           ; distance from the top of the stack
max     equ 1           ; distance ;;
min     equ 2           ; distance
key_lo  equ 8           ; key local
arcnt_lo equ 9          ; N in local variables
arr_lo  equ 10          ; array address in local
n       equ 30          ; array count
key     equ 2           ; key to be searched
arr     db 1,3,6,9,11,20,30,45,48,60
        db 61,63,64,65,67,69,72,74,76,79
        db 80,83,85,88,90,110,113,114,120,123
result  org $1000
        rmb 1
        org $1500
lds     #$1500          ; initialize the stack pointer
ldx     #arr            ; pass array base address
pshx    ;              ;
ldaa    #n              ; pass array count
psha    ;              ;
ldaa    #key            ; pass the search key
psha    ;              ;
jsr     bin_search
staa    result
swi
```

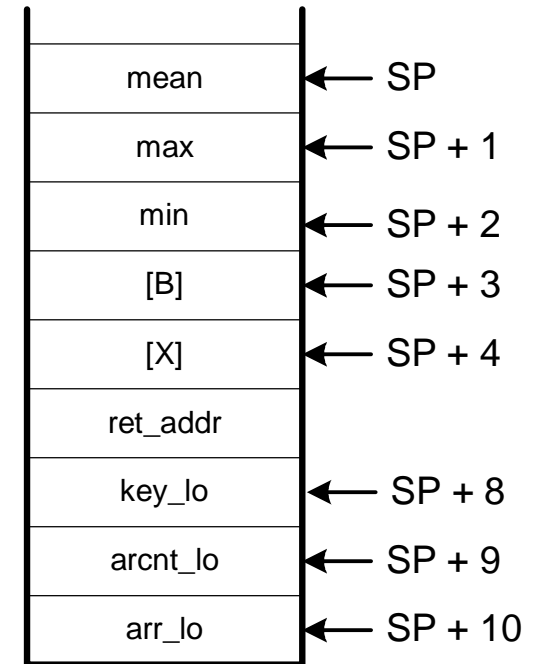


Figure E4.2 Stack for Ex4.1

The following subroutine implements the binary search subroutine and returns the search result in A. A contains a 1 if the key is found in the array. Otherwise, it contains a 0.

```

bin_search pshx
          pshb
          leas -3,sp      ; allocate 3 bytes for local
          clr  min,sp     ; initialize min to 0
          ldaa arcnt_lo,sp ; #n
          deca           ; n-1
          staa max        ; initialize max to arcnt - 1
          ldx  arr_lo,sp  ; use X as the pointer to the array
loop      ldab min,sp
          cmpb max,sp
          lbgt notfound   ; if min > max, then not found
          addb max,sp     ; compute mean
          lsr b           ; "
          stab mean,sp    ; save mean
          ldaa b,x        ; get a copy of the element arr[mean]
          cmpa key_lo,sp
          beq  found
          bgt  search_lo
          ldaa mean,sp
          inca
          staa min,sp     ; place mean+1 in min to continue
          bra  loop
search_lo ldaa mean,sp
          deca
          staa max,sp
          bra  loop
found     ldaa #1
          bra  done
notfound  ldaa #0
done      leas 3,sp
          pulb
          pulx
          rts
          end

```

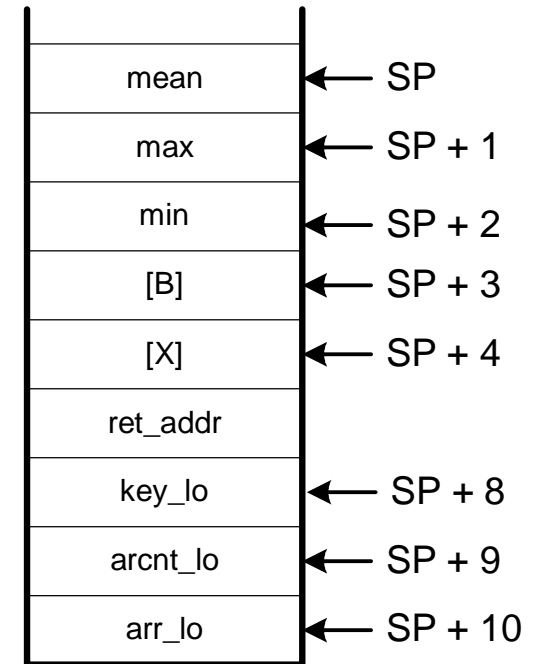


Figure E4.2 Stack for Ex4.1

Finding the Square Root

- One of the methods for finding the square root of an integer is based on the following equation:

$$\sum_{i=0}^{n-1} i = \frac{n(n-1)}{2} \quad (4.1)$$

- Equation 4.1 can be transformed into

$$n^2 = \sum_{i=0}^{n-1} (2i+1) \quad (4.2)$$

- The algorithm for finding the square root of an integer (q) based on equation 4.2 is illustrated in the flowchart shown in Figure 4.16.

$n^2 < q$
 $n^2 = q$
 $n^2 > q$
 $n \rightarrow \text{sqrt}(q)$

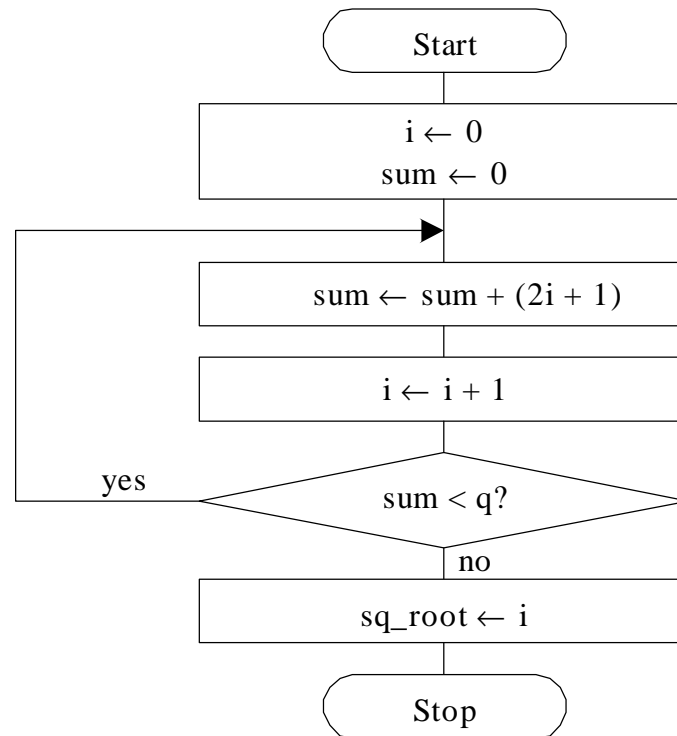


Figure 4.16 Algorithm for finding the square root of integer q .

Example 4.14 Write a subroutine to implement the square root algorithm. This subroutine should be able to find the square root of a 32-bit unsigned integer. The parameter is pushed onto the stack and the square root is returned in accumulator D.

Solution:

The stack frame is shown in Figure 4.17. The subroutine and the instruction sequence for testing the subroutine is shown in the following pages.

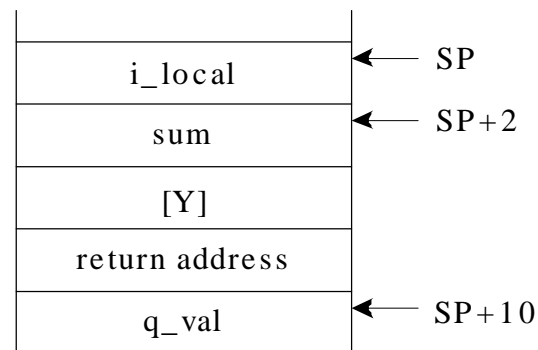


Figure 4.17 Stack frame of example 4.14

Example 4.14 :-Finding Square Root

```

q_hi    equ    $000F    ; upper word of q
q_lo    equ    $4240    ; lower word of q
i_local equ    0        ; distance of local variable i from the top of the stack
sum     equ    2        ; distance of local variable sum from the top of the stack
q_val   equ    10       ; distance of incoming parameter q from the top of stack
local   equ    6        ; number of bytes allocated to local variables

```

```

sq_root  org    $800
         rmb    2        ; to hold the square root of q
         org    $1000
         ldd    #q_lo
         pshd
         ldd    #q_hi
         pshd
         jsr    find_sq_root
         std    sq_root
         leas   4,sp
         swi

```

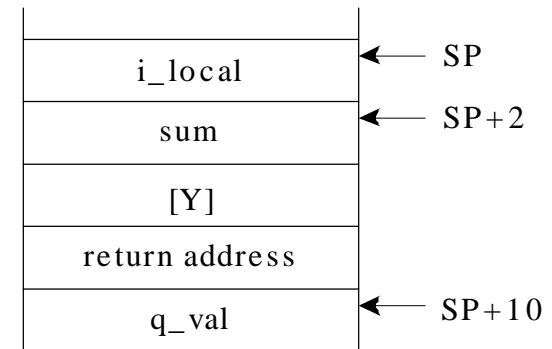


Figure 4.17 Stack frame of example 4.14

Subroutine: finding sq root

```
find_sq_root    pshy          ; save y in the stack
                leas          -local,sp ; allocate local variables
                ldd           #0        ; initialize local variable i to 0
                std           i_local,sp ;
                std           sum,sp    ; initialize local variable sum to 0
                std           sum+2,sp  ;
loop            ldd           i_local,sp
                ldy           #2
                emul          ; compute 2i
; add 2i to sum
                addd          sum+2,sp
                std           sum+2,sp
                tfr           y,d
                adcb          sum+1,sp
                stab          sum+1,sp
                adca          sum,sp
                staa          sum,sp
```

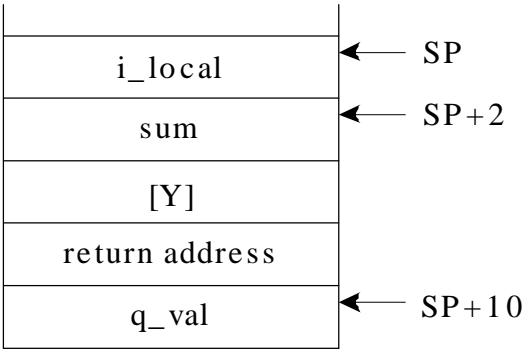


Figure 4.17 Stack frame of example 4.14

; add 1 to sum (need to propagate carry to the most significant byte of
sum)

```

ldaa    #1
adda    sum+3,sp
staa    sum+3,sp
ldaa    sum+2,sp
adca    #0
staa    sum+2,sp
ldaa    sum+1,sp
adca    #0

staa    sum+1,sp
ldaa    sum,sp
adca    #0
staa    sum,sp

; increment i by 1
ldd     i_local,sp
addd    #1
std     i_local,sp

```

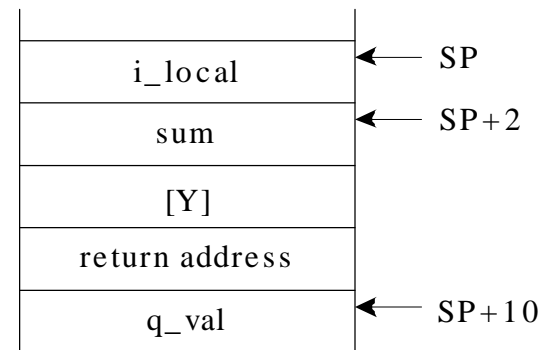


Figure 4.17 Stack frame of example 4.14

Contd..

; compare sum to q_val by performing subtraction (need consider borrow)

```
ldd    sum+2,sp
subd   q_val+2,sp
ldaa   sum+1,sp
sbca   q_val+1,sp
ldaa   sum,sp
sbca   q_val,sp
lblo   loop
ldd    i_local,sp
```

; place sq_root in D before return

; deallocate space used by local variables

```
exit   leas    local,sp
       puly
       rts
       end
```

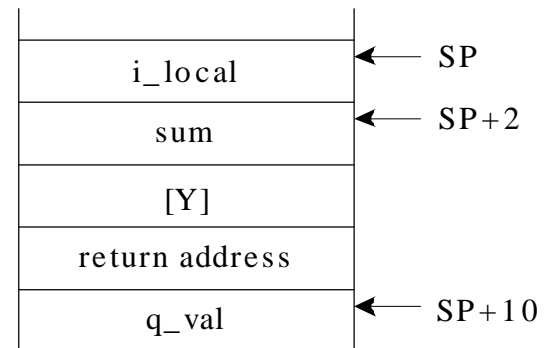


Figure 4.17 Stack frame of example 4.14